# INFLUENCE OF FLOW REGIMES OF MOVEMENT AND ACCUMULATION OF TRANSPORTATION TO INCREASE TOXICITY OF EXHAUST GAS EMISSIONS BY CITIES LINES 

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In terms of transport flows dense engine operating conditions lead to extensive exhaust emissions into the atmosphere. We think the amount of emissions $\sum N_{i}$ is proportional with amount time of engines operating under non-standard transmission schemes, therefore:

$$
\begin{equation*}
\sum N_{i}=F(t) \tag{1}
\end{equation*}
$$

where: $\sum N_{i}$ - total emissions of toxic substances.

$$
\begin{equation*}
\sum N_{i}=n_{1} t_{1} A_{1}+n_{2} t_{2} A_{2}+\ldots+n_{n} t_{n} A_{n} \tag{2}
\end{equation*}
$$

where: $n_{1}, n_{2}, \ldots n_{n}-$ quantity of toxic substances emitted $n_{1}, n_{2}, \ldots n_{n}$ by a car, $m^{3} / s$;
$t_{1}, t_{2}, \ldots t_{n}$ - emission of these substances during the performance of distance measurement $S_{i}$;
$A_{1}, A_{2}, \ldots A_{n}-$ groups of cars with
characteristic toxic emission $n_{1}, n_{2}, \ldots n_{n}$.
Sectors characteristic of the measurements may be areas of acceleration, braking and uniform movement.

Let's examine the three regimes of movement of cars in the areas of acceleration $S_{l}$ speed $v_{l}$, movement in the regime $S_{2}$ speed $v_{2}$ and brake $S_{3}$ speed $v_{3}$ on all the intersections between city bus $S$ $=S_{1}+S_{2}+S_{3}$.

The distance travelled by the automobile sector to accelerate $S_{l}$, relationship can be determined:

$$
\begin{equation*}
S_{1}=\frac{1}{2 a}\left\{\left.\frac{G_{a}}{g} \delta \ln \left|a v_{i}^{2}+b v_{1}+c\right|\right|_{v_{1}} ^{v_{2}}-b t_{1}\right\} \tag{3}
\end{equation*}
$$

where: $\quad a=a_{M} \frac{u_{T}^{3} \eta_{T}^{3}}{r_{m}^{3}}-k F ; \quad b=b_{M} \frac{u_{T} \eta_{T}}{r_{m}}$;
$c=c_{M} \frac{u_{T}}{r_{m}}-G_{a} \psi-$ coefficients equal balance of power;

$$
a_{M}=-\frac{M_{p} c^{\prime}}{100 n_{p}} ; \quad b_{M} \quad=\quad \frac{b^{\prime}}{10 n_{p}}
$$

$c_{M}=M_{p} a^{\prime}-$ coefficients equal torque;
$G_{a}$ - vehicle weight, kg ;
$u_{T}$ - automobile transmission gear ratio;
$\eta_{T}$ - transmission efficiency car;
$r_{m}$ - car wheel rolling radius, $m$;
$M_{p}$ - engine torque at maximum power, Nm ;
$n_{p}$ - speeds of the crankshaft of the engine at maximum power, rot/min;
$\psi$ - road drag coefficient;
$a^{\prime}, b^{\prime}, c^{\prime}-$ coefficients, which depend on engine type and number of times;
$t_{l}$ - time of the acceleration of the vehicle on $S_{l}$.
On the $S_{l}$ during vehicle movement, $t_{l}$ relationship can be determined from power balance:

$$
\begin{equation*}
d t=\delta \frac{G_{a}}{g}\left(\frac{d v_{i}}{a v_{i}^{2}+b v_{i}+c}\right) \tag{4}
\end{equation*}
$$

Solving differential equality (4) has the form:

$$
t_{l}=\frac{\delta \frac{G_{a}}{g}}{\sqrt{b^{2}-4 a c}} \ln \left|\frac{2 a v_{i}+b-\sqrt{b^{2}-4 a c}}{2 a v_{i}+b+\sqrt{b^{2}-4 a c}}\right|_{v_{1}}^{v_{2}}
$$

if $\left(b^{2}-4 a c\right)>0$

$$
\begin{equation*}
t_{l}=\frac{2 \delta \frac{G_{a}}{g}}{\sqrt{4 a c-b^{2}}} \operatorname{arctg} \frac{2 a v_{i}+b}{\sqrt{4 a c-b^{2}}} \tag{5}
\end{equation*}
$$

if $\left(b^{2}-4 a c\right)<0$

$$
\begin{equation*}
t_{1}=\frac{2 \delta \frac{G_{a}}{g}}{2 a v_{i}+b} \quad \text { if }\left(b^{2}-4 a c\right)=0 \tag{6}
\end{equation*}
$$

Time $t_{l}$ is active toxic emissions during acceleration. In this case it is necessary to focus on dynamics of acceleration of a the less dynamic
group of cars. After this group of cars, the attention can be driven at medium speeds of the transport flow:

$$
\begin{equation*}
v_{\text {med } l}=\frac{S_{1}}{t_{1}} \tag{8}
\end{equation*}
$$

On the $S_{2}-$ when reaching by the car speed $v_{2}$ it can move within the following traffic arrangements:

1. constant speed $v_{2}$ as a single car or a reduced intensity of traffic flow;
2. in a dense flow with variable intensity of transport movements;
3. in the transport stream after leader.

Consider the distribution of intervals in the transport stream is subject to the distribution of Poisson [1].

$$
\begin{equation*}
P_{i}(\Delta t)=e^{-\Delta t \frac{M}{T}} \frac{\left(\Delta t \frac{M}{T}\right)^{i}}{i!} \tag{9}
\end{equation*}
$$

where: $P_{i}(\Delta t)$ - transition probability $i$ vehicles tracking the benchmark in period $\Delta t$;
$M$ - number of cars that pass by this benchmark for the entire period of followup;
$T$ - follow-up period. If $T=1$ hour $(3600 s)$, then the relationship $m=\frac{M}{T}$ expresses the mathematical expectation of the number of cars at the benchmark in a second. Taking this into account, equation (9) takes the following form:

$$
\begin{equation*}
P_{i}(\Delta t)=e^{-\Delta t m}=e^{-\lambda} \tag{10}
\end{equation*}
$$

where: $\lambda=\Delta t m=A_{i}$ - number of cars passing through this part (sector) during $\Delta t$.
Taking into account the distribution of properties Poisson can be written that:

$$
\begin{equation*}
\Delta t=\frac{A_{i}}{m}=\frac{A_{i} T}{M} \tag{11}
\end{equation*}
$$

The average number of cars $A_{i}$, on the lane will be:

$$
\begin{equation*}
A_{i}=A_{i} \pm \sqrt{A_{i}}=\Delta t m+1 \tag{12}
\end{equation*}
$$

From equation (12) is found time $\Delta t$ :

$$
\begin{equation*}
\Delta t=\frac{\left(A_{i} \pm 1\right)}{m}=\frac{\left(A_{i} \pm 1\right) T}{M} \tag{13}
\end{equation*}
$$

According to his Lithil and Witham [1]:

$$
\begin{equation*}
M=c q \ln \left(\frac{q_{i}}{q}\right) \tag{14}
\end{equation*}
$$

where: $q$ - transport traffic flow density, auto/km; $q_{i}$ - maximum density of traffic (in case of congestion $v=0 \mathrm{~km} / \mathrm{h} ; q_{i}=228$ auto/mile); $c$ - movement speed, set at maximum capacity crossing ( $c=17,2$ mile $/ \mathrm{h}$ ).

Since $q=\frac{M}{v}$, then:

$$
\begin{equation*}
\Delta t=\frac{\left(A_{i} \pm 1\right) T}{q v} \tag{15}
\end{equation*}
$$

From equation (15) shows that at one and the same density $q$, time $\Delta t$ is greater, when $v$ transport stream speed $v$ is less.

If $\Delta t>t_{2}$, then the movement of vehicle in traffic flow is being performed uniformly with speed $v_{2}$. However, if $\Delta t<t_{2}$, then the movement of vehicle in traffic flow is being performed after the leader and flow velocity can be determined by relations:

$$
\begin{align*}
& v_{a}=78,0-0,0385 M-\text { for cars } \\
& v_{c}=54,2-0,0122 M-\text { for trucks } \tag{16}
\end{align*}
$$

Sector length $S_{2}=v_{2} t_{2}$. Speed $v_{2}$ may be restricted by appropriate signs prohibiting or limiting the speed or limit speed driving in the city $v_{2} \leq 60 \mathrm{~km} / \mathrm{h}$.

On the $S_{3}$ car slows down approaching the intersection traffic when light signals change. The balance of movement of the car when braking (the motor is disconnected from the transmission) has the form:

$$
\begin{equation*}
F_{j}=F_{t}+G_{a} \psi+k F v_{a}^{2} \tag{17}
\end{equation*}
$$

where: $F_{t}=G_{a} \varphi \cos \alpha-c a r$ wheels brake force;
$F_{j}$ - car inertial force for critical brake.
Solving the equality (17) we determine the braking time on sector $S_{3}$ :

$$
\begin{equation*}
t_{3}=\frac{\left(v_{i}-\frac{k F g v_{i}^{3}}{3 \delta G_{a}}\right)}{\left[\frac{g}{\delta}(\varphi+\psi)\right]} \tag{18}
\end{equation*}
$$

where: $v_{i}$ - initial braking speed depending on the density flow transport.
Considering the final speed braking zero distance $S_{3}$ of braking sector can be determined:

$$
\begin{equation*}
S_{3}=\frac{t_{3} v_{i}}{2} \tag{19}
\end{equation*}
$$

The total number of cars that are on the lane in the direction of movement is determined from the relationship (12). Considering the relation (2) groups of the same type car, it can be written:

$$
\begin{equation*}
\sum N_{i}=n_{1} t_{1} A_{1}+n_{2} t_{2} A_{2}+n_{3} t_{3} A_{3} \tag{20}
\end{equation*}
$$

where: $n_{1}, n_{2}, n_{3}$ - quantity of toxic substances emitted by a car during the regimes of acceleration, braking and uniform movement given $\mathrm{m}^{3} / \mathrm{s}$;
$A_{1}, A_{2}, A_{3}$ - number of cars that move on acceleration, braking and uniform movement schemes given. $\sum N_{i}$ - total emissions of toxic substances on the sector $S$.

## CONCLUSIONS

1. The total amount of emissions of toxic substances on the movement of the automobile on sector $S$ depends on the number of cars moving, vehicle movement regime and intensity of toxic emissions at those regimes.
2. Time and distance of travel of the vehicle at different regimes of movement depends on its operating characteristics.
3. Regime of movement of cars under intense traffic depends on the intensity of the flow movement and flow distribution ranges density in the automotive transport stream, which can be considered subordinated to Poisson distribution. The greater the period of developing of the car in the range of time given, the less is the dependence of solitary car speed with other road users speed. Otherwise, solitary car speed depends on leader's speed and it diminishes with growing of traffic intensity

## Bibliography

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